# MODELLING OF TURKEY TURKISH WORDS BY DISCRETE MARKOV PROCESSES 

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# MODELLING OF TURKEY TURKISH WORDS BY DISCRETE MARKOV PROCESSES 

A Thesis in
Analysis of Turkey Turkish Words

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## PREFACE

Since the era we are going through may be named as the information era, the production of information, by all means, is the issue. What is more important is, the protection of the information produced.

Protection is needed in two cases; the first one is the desire to keep the original information from being altered by unauthorized or ill-willed people who may have intercepted it. The second is the desire to keep the information totally secret.

The best way to provide secrecy is achieved by means of ENCRYPTION, which is simply substituting symbols or other letters in for the original symbols or letters that make up the information. To obtain the original information, the algorithm used for encryption is needed in order to revert the document to its real form. This process is named as DECRYPTION.

The science of secrecy for information hiding is known as CRYPTOLOGY; which originates from two Greek words cryptos-secret, logos-science.

The art of trying to find out ways and algorithms to hide information is studied under a special branch of cryptology named as CRYPTOGRAPHY.

As well as hiding the information, there may come a time where the hidden information has to be intercepted and decrypted. ${ }^{1}$ To do this, one has to know the encryption algorithm. If it is a time of war and the one side has intercepted an encrypted message of the other side, it may well be assumed that the encryption algorithm is not known. Then encryption is to be done by alternative methods. The act of decrypting encrypted messages, without the presence of the encryption algorithm, is studied under the CRYPTANALYSIS branch of cryptology.

[^0]In order to perform the act of cryptanalysis, one has to know primarily the language in which the original message was produced and grammar rules, letter combinations,
mostly used letters and words, etc. All of these primary concerns are called as the cryptanalytical measures of a language.

The objective of this thesis is to obtain the cryptanalytical measures of the words used in Turkey Turkish by Markov Processes Approach. The study is based on the "Cryptanalytical Measures of Turkey Turkish for Symmetric Cryptosystems" unpublished Ph.D. Thesis by Asistant Prof. Dr. Ahmet Hasan KOLTUKSUZ.

Although works on other languages such as English, German, French and many others have been totally completed, the only cryptanalytical study completed on Turkey Turkish language is the above mentioned Ph.D. thesis. It is hoped that this thesis will provide the necessary background and inspiration for the new comers, to the informartion theory world, to extend the studies and help to bring together a thorough cryptanalytical database for Turkey Turkish.

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## ABSTRACT

This study based on the previous works of Assistant Prof. Dr. Ahmet Hasan KOLTUKSUZ, is about obtaining cryptanalytical measures of Turkey Turkish words based on Markov processes approach.

## ABSTRAKT

Türkiye Türkçesi kelimeleri kriptanalitik ölçütlerinin Markov yaklaşımlarıyla oluşturulmasına dayanan bu çalışmanın temelini Yrd. Doç. Dr. Ahmet Hasan KOLTUKSUZUN önceki çalışmaları temel alınarak hazırlanmıştır.

## CHAPTER 1 : MATERIAL AND METHOD

Since this thesis is based on the previous works of Asst. Prof. Dr. Ahmet Hasan KOLTUKSUZ, the material and method used is exactly the same. However for the words of Turkey Turkish the Redhouse dictionary was used as explained below. ${ }^{1}$

## 1. 1 Hardware and Software used

Cryptanalytical studies are performed on huge scale texts, and the words or more correctly different and so many combinations of the characters making up the text is numerous. Viewing the process from this side, it is an I/O bound process.

For the text formation PC based Compact Pentium MMX computer has been used and the software is Windows '95 Office based programs.

### 1.2 Filtration

The text worked on has been obtained from the Redhouse Turkish Dictionary. All the words listed in the dictionary was first transferred to the electronic environment. The ones starting with capital letters were changed to small ones. Words that are spelled exactly the same but carry different meanings were located and only one was kept, the remaining were deleted from the list. Then the idioms and phrases with more than one words were modified to appear as one single word, spaces in between being deleted. The words which are no longer in today's Turkey Turkish were removed.

## 1. 3 Method

After the Redhouse dictionary has been filtered, all the words were transferred to appear in their consonant-vowel pattern. The study then was performed on these c-v patterns obtained. The conditional probabilities from 0 to $4^{\text {th }}$ order were obtained by the use of Markov Process Approach.

[^1]
## CHAPTER 2 : STATISTICAL BACKGROUND

## 2. 1 Introduction

This chapter involves definitions of concepts repeatedly used throughout the following chapters and some examples to make these concepts more understandable.

### 2.2 Probability Theory

### 2.2.1 Definition of Probability

"If the experiment is performed $n$ times and the event $A$ occurs n(A) times, then, with a high degree of certainty, the relative frequency $n(A) / n$ of the occurrence of $A$ is close to $P(A)$ :

$$
P(A) \cong n(A) / n
$$

provided that $n$ is sufficiently large." 1

Using the term "sufficiently large" is a must because, in order to say the probability of observing a specific event is some number, one has to repeat the experiment endless times. To clear this expression from the definition it is necessary to develop a more explanatory and complete mathematical form. This can be summarized as :

$$
P(A)=\lim _{n \rightarrow 8} \frac{n(A)}{n}^{2}
$$

### 2.2.2 Joint Probability

Considering two events such as A and B , one can obtain the individual or sometimes called marginal probabilities using the definition given above as $P(A)$ and $P(B)$.

[^2]If the concern is the probability of observing A and B occurring simultaneously, then a new term is needed to define this probability. To make it more clear an example could be, event A as observing 1 from a die throw and event B as observing a tale from the toss of a coin. Another example is drawing a marble twice from a bag which contains 3 red and 2 blue.

The probability of observing two or more events occurring simultaneously is named as joint probability and denoted as $\mathrm{P}(\mathrm{AB})$.

### 2.2.2.1 Mutual Exclusiveness

If any two events cannot occur simultaneously then they are said to be mutually exclusive, in notation $\mathrm{P}(\mathrm{AB})=0$.

From set theory it is known that

$$
\mathrm{P}(\mathrm{AB})=\mathrm{P}(\mathrm{~A})+\mathrm{P}(\mathrm{~B})-\mathrm{P}(\mathrm{~A}+\mathrm{B})
$$

$\mathrm{P}(\mathrm{A}+\mathrm{B})$ is the probability of observing event A or event B . In other words observing at least one of the two events occurring (Union of events)

It can be concluded from the above that if two events are mutually exclusive then the probability of either one of them occurring is equal to the sum of their marginal probabilities. In notation ;

$$
\mathrm{P}(\mathrm{~A}+\mathrm{B})=\mathrm{P}(\mathrm{~A})+\mathrm{P}(\mathrm{~B})
$$

### 2.2.2.2 Independence

Considering any two events, if occurrence of one of them has no effect on the occurrence of the other then the two events are called independent. In the coin toss
example, the outcome of the first throw say a head will not have any influence on the second throw, chances being the same as a head or a tail.

If two events are independent then their joint probability is equal to the product of their marginal probabilities. In notation :

$$
\mathrm{P}(\mathrm{AB})=\mathrm{P}(\mathrm{~A}) \mathrm{P}(\mathrm{~B})
$$

### 2.2.3 Conditional Probability

In repeated experiments where events are dependent, if the occurrence of a certain event is known then the probability of sequential events can be determined.

The conditional probability of occurrence of event A assuming event B has occurred is denoted by $\mathrm{P}(\mathrm{B} / \mathrm{A})$ and is written as

$$
\mathrm{P}(\mathrm{~B} / \mathrm{A})=\mathrm{P}(\mathrm{AB}) / \mathrm{P}(\mathrm{~B})
$$

"This result can be phrased as follows ;If one discards all the experiments in which the event $B$ did not occur and retains only the subsequence of experiments in which $B$ did occur, then $P(A / B)$ equals the relative frequency of occurrence $n(A B) / n(B)$ of the event $A$ in that subsequence." 3

### 2.3 Random Variables

### 2.3.1 Definition

A random variable is a number assigned to every single outcome of an experiment. If it is to be viewed as a function, then it is defined as a function whose domain is a set of all experimental outcomes.

[^3]One has the experiment E with the sample space S and V a subset of this sample space called events and probabilities assigned to these events. Thus a function $\mathbf{x}$ is created with domain the set $S$, and range a set of numbers. This function created is called a random variable if it satisfies the conditions below :

1. The set $\{\mathbf{x}=\mathrm{x}\}$ is an event for every x .
2. The probabilities of $\mathrm{P}(8)$ and $\mathrm{P}(-8)$ is equal to zero.

### 2.3.2 Two Random Variables

In the case of two random variables, one has to consider bivariate statistics instead of marginal ones. When two random variables are concerned, it points out that one of them is the set $\{\mathbf{x}=\mathrm{x}\}$ and the other is another set $\{\mathbf{y}=\mathrm{y}\}$ both satisfying the conditions to be a random variable.

### 2.3.2.1 Joint Probability

The joint probability of two random variables is defined as
$P\{\mathbf{x}=\mathrm{x} \cap \mathbf{y}=\mathrm{y}\}$ or simply shown as $\mathrm{P}\{\mathbf{x}=\mathrm{x}, \mathbf{y}=\mathrm{y}\}$.
It follows from the definition that among a list of possible outcomes of two experiments the lines in which $\mathbf{x}=\mathrm{x}$ and $\mathbf{y}=\mathrm{y}$ appear at the same time will be counted as $\mathrm{n}(\mathbf{x}, \mathbf{y})$ and sum of all lines being n , then joint probability in terms of relative frequency is;

$$
\mathrm{P}(\mathrm{x}, \mathrm{y})=\mathrm{n}(\mathbf{x}, \mathbf{y}) / \mathrm{n}
$$

### 2.3.2.2 Conditional Probability

Conditional probability for two random variables is defined as the probability of $\mathbf{y}=$ $y$ assuming that $\mathbf{x}=x$ and denoted as $P(\mathbf{y}=y / \mathbf{x}=x)$. Writing it in the open form :

$$
P(\mathbf{y}=\mathrm{y} / \mathbf{x}=\mathrm{x})=P(\mathbf{y}=\mathrm{y}, \mathbf{x}=\mathrm{x}) / \mathrm{P}(\mathbf{x}=\mathrm{x}) .
$$

In order to obtain this probability it is obvious that one has to know the joint probability of the two random variables as well as their marginal probabilities.

### 2.4 Entropy

Entropy is the measure of uncertainty associated with a random variable. ${ }^{4}$
In other words; the more one is certain that an event is to occur, the less is the entropy of that event, or the less likely it is for an event to occur, the less is its entropy. For a random variable say $\mathbf{x}$ its entropy is denoted by $\mathrm{H}(\mathbf{x})$ and is equal to

$$
H(\mathbf{x})=-\Sigma p(\mathbf{x}=x) \log p(\mathbf{x}=x)
$$

or simply shown as

$$
H(\mathbf{x})=-\Sigma p(x) \log p(x)
$$

It is known that the probability of a random variable is a number between 0 and 1 . From this, it follows that entropy associated with a random variable which has only two values is also a number between 0 and 1 . If $\mathrm{p}(\mathrm{x})=0$ or $\mathrm{p}(\mathrm{x})=1$ then the entropy in both cases is zero. In the first case, one is certain that the event will not occur and in the second one it is $100 \%$ that the event is to occur. In other words there is no uncertainty associated with the events, therefore their entropies are zero.

If the probability of a random variable is 0.1 , then it can be concluded that the event is very less likely to occur. There is not much uncertainty. It is the same in the case where the probability is 0.9 . This shows that the event is very much likely to occur, again pointing to a certain case.

[^4]When the probability is 0.5 , one is not certain whether the event is to occur or not. In other words the probability of the event occurring or not occurring is equal to each other. This is the case where uncertainty is maximum.

From the definition and the formulae it can be concluded that if all the events are likely to occur with the same probability then the entropy associated with the random variable is at its maximum value.

### 2.4.1 Joint Entropy

If a pair of random variables is taken instead of a single one, then one has to consider their bivariate statistics instead of marginal ones. Joint entropy can be defined as the uncertainty associated with a pair of random variables. It is formulated as follows ;

$$
\mathrm{H}(\mathbf{x}, \mathrm{y})=-\Sigma \Sigma \mathrm{p}(\mathrm{x}, \mathrm{y}) \log \mathrm{p}(\mathrm{x}, \mathrm{y})
$$

$H(\mathbf{x}, \mathbf{y})$ is the joint entropy of the pair of random variable $\mathbf{x}$ and $\mathbf{y}$. $p(x, y)$ is the joint probability of the pair of random variable $\mathbf{x}$ and $\mathbf{y}$.

### 2.4.2 Conditional Entropy

Considering the definition of conditional probability, conditional entropy can be explained in a similar way. For a pair of random variables $\mathbf{x}$ and $\mathbf{y}$, conditional entropy of $\mathbf{y}$ known that $\mathbf{x}$ has occurred is denoted by $\mathrm{H}(\mathbf{y} / \mathbf{x})$ and is equal to

$$
\mathrm{H}(\mathbf{y} / \mathbf{x})=-\sum \sum \mathrm{p}(\mathrm{x}, \mathrm{y}) \log \mathrm{p}(\mathrm{y} / \mathrm{x})
$$

$\log p(y / x)$ is the conditional probability of $y$ assuming $x=x$
To state this in another way it can be said that $\mathrm{H}(\mathbf{y} / \mathbf{x})$ is the uncertainty
associated with $\mathbf{y}=y$ in the subsequence of experiments that $\mathbf{x}=x$ has been observed. ${ }^{5}$

### 2.4.2.1 Chain Rule

The chain rule sates that joint and conditional entropies are related in the following
way ;

$$
\mathrm{H}(\mathbf{x}, \mathbf{y})=\mathrm{H}(\mathbf{x})+\mathrm{H}(\mathbf{y} / \mathbf{x})^{6}
$$

This equality states that joint entropy is a function of marginal entropy and conditional entropy.

### 2.5 Stochastic Processes

### 2.5.1 Definition

" A stochastic Process with parameter space $T$ and a state space $E$ is a collection of random variables $\left\{x_{t}, t \varepsilon T\right\}$ defined on the same probability space and taking values in E".

Depending on the parameter and state space, processes are classified as discrete or continuous. For this thesis parameters are the letters of the Turkey Turkish alphabet, where there are 29 of them starting from A ending with Z , therefore the parameter space is discrete. For the state space, it is the position of the letter in the sequence of letters forming meaningful words, and since that is countable many values it is considered discrete state space. So the process that is to be analyzed is a discrete parameter and discrete state space type stochastic process.

[^5]Stochastic processes can also be defined simply as a collection of indexed events such as $\mathrm{x}_{1}, \mathrm{x}_{2}, \mathrm{x}_{3}, \mathrm{x}_{4}, \ldots \ldots \ldots . . \mathrm{x}_{\mathrm{n}-1}, \mathrm{x}_{\mathrm{n}}$. For all those events there corresponds a state defining in what stage the process is and denoted as $\mathrm{x}_{\mathrm{n}}=\mathrm{j}$ and is pronounced as the process is in state j at time n . And for any time the process being in a certain state is assigned a probability and denoted as $\mathrm{p}\left(\mathrm{x}_{\mathrm{n}}=\mathrm{j}\right)$ and is called the state probability.

### 2.5.2 Markov Processes

### 2.5.2.1 Definition

Markov processes are a special case of stochastic processes where the next state of the process is independent of the past states, if the previous state is known. For a stochastic process to be a Markov process, it has to have a discrete state space with finite number of elements in its parameter space. To formulate this phrase mathematically :

### 2.5.2.2 Mathematical Explanation

Let $T=\{0,1,2,3 .$.$\} then for all positive integers \mathrm{q}$,
$\mathrm{n}_{1}<\mathrm{n}_{2}<\mathrm{n}_{3}<\mathrm{n}_{4}$ $\qquad$ $<\mathrm{n}_{\mathrm{q}-1}<\mathrm{n}_{\mathrm{q}}$,

$$
\mathrm{p}\left(\mathrm{x}_{\mathrm{n} 1}=\mathrm{k}_{1}, \mathrm{x}_{\mathrm{n} 2}=\mathrm{k}_{2}, \mathrm{x}_{\mathrm{nq}}=\mathrm{k}_{\mathrm{q}}\right) \text { is equal to }
$$

$$
\mathrm{p}\left(\mathrm{x}_{\mathrm{nq}}=\mathrm{k}_{\mathrm{q}} / \mathrm{x}_{\mathrm{n} 1}=\mathrm{k}_{1}, \mathrm{x}_{\mathrm{nq}-1}=\mathrm{k}_{\mathrm{q}-1}\right) \mathrm{p}\left(\mathrm{x}_{\mathrm{n} 1}=\mathrm{k}_{1}, \mathrm{x}_{\mathrm{n} 2}=\mathrm{k}_{2}, \mathrm{x}_{\mathrm{nq}-1}=\mathrm{k}_{\mathrm{q}-1}\right)
$$

or in the simplest and compact form it is equal to

$$
\mathrm{p}\left(\mathrm{x}_{\mathrm{n} 1}=\mathrm{k}_{1}\right) \Pi \mathrm{p}\left(\mathrm{x}_{\mathrm{nj}}=\mathrm{k}_{\mathrm{j}} \backslash \mathrm{x}_{\mathrm{nj}-1}=\mathrm{k}_{\mathrm{j}-1}\right)^{8}
$$

### 2.5.2.3 Order of a Markov Process

As well as state probabilities, another important feature of the Markov Processes is

[^6]the state transition probabilities, i.e. the probability of the process moving to the next state knowing that it is in its present state. If the process is known to be in state j at time m , and the probability in concern is the process being in state k at time n (provided that $\mathrm{n}>\mathrm{m}$ ) then the transition probability of the process being at state k at time n , given that it is at state j at time m can be written as
$$
\mathrm{p}_{\mathrm{j}, \mathrm{k}}(\mathrm{~m}, \mathrm{n})=\mathrm{p}\left(\mathrm{x}_{\mathrm{n}}=\mathrm{k} / \mathrm{x}_{\mathrm{m}}=\mathrm{j}\right)
$$

If $n=m+1$ then the above equality can be rewritten as

$$
\mathrm{p}_{\mathrm{j}, \mathrm{k}}(\mathrm{~m}, \mathrm{~m}+1)=\mathrm{p}\left(\mathrm{x}_{\mathrm{m}+\mathrm{l}}=\mathrm{k} / \mathrm{x}_{\mathrm{m}}=\mathrm{j}\right)=\mathrm{p}_{\mathrm{j}, \mathrm{k}}(\mathrm{~m})
$$

$p_{j, k}(m)$ is called the one state transition probability and as can be noted, only one present time is shown. The state to be moved is understood as the state following the present one.

The number of steps needed to be taken to reach a certain state is referred to as the order of a Markov Process. In the one state transition probability, since to reach the desired state takes only one step, the order of the process is 1 . To phrase it correctly , it is called a First Order Markov Process implying that every state is a function of only the state that it precedes and independent of all the others before that state.

So it can be concluded that the order of a Markov Process is determined by the number of steps needed to be taken (or number of states that have to be passed through) to reach the desired state. Simply the order is the difference $n-m$.

There is a special case named as a Zero Order Markov Process. This yields to the conclusion that in order to reach a desired state, it is not necessary to take any step,
meaning the state is independent of all other states and is determined only by itself. This can be shown by using definitions of conditional probability and independence.
$\mathrm{p}\left(\mathrm{x}_{\mathrm{n}}=\mathrm{k} / \mathrm{x}_{\mathrm{n}-1}=\mathrm{j}, \mathrm{x}_{\mathrm{n}-2}=1, \ldots \ldots \ldots \ldots \ldots . . \mathrm{x}_{1}=\mathrm{w}\right)$ is equal to
$\mathrm{p}\left(\mathrm{x}_{\mathrm{n}}=\mathrm{k}\right) \mathrm{p}\left(\mathrm{x}_{\mathrm{n}-1}=\mathrm{j}, \mathrm{x}_{\mathrm{n}-2}=1, \ldots \ldots \mathrm{x}_{1}=\mathrm{w}\right) / \mathrm{p}\left(\mathrm{x}_{\mathrm{n}-1}=\mathrm{j}, \mathrm{x}_{\mathrm{n}-2}=1, \ldots \ldots \ldots \ldots \ldots . \mathrm{x}_{1}=\mathrm{w}\right)$.
Which then is simply equal to $\mathrm{p}\left(\mathrm{x}_{\mathrm{n}}=\mathrm{k}\right)$.

### 2.6 Examples

### 2.6.1 Letter frequencies

Taking the meaningful text produced in Turkey Turkish :
"Bu tez çalışması ileride kriptanaliz konusunda çalışmak isteyenlere yardımcı olmak amacı ile hazırlanmıștır."

One can obtain letter frequencies and probabilities as follows;
In order to obtain the frequency of letter "a" (or "A") first the total number of a's $\mathrm{n}(\mathrm{a})$, present are counted and they add up to 12 . Then the number of all letters forming the sentence $n$ (total) are counted and they are 95 . The relative frequency of letter "a", the probability of observing an "a" in this text is calculated as

$$
\begin{aligned}
\mathrm{p}(\mathrm{a}) & =\mathrm{n}(\mathrm{a}) / \mathrm{n}(\text { total }) \\
& =12 / 95 \\
& =0.1263
\end{aligned}
$$

For the relative frequency of letter " $m$ ", the total number of $m$ 's $n(m)$ are 6 therefore the probability of observing an " $m$ " in the text is

$$
\begin{aligned}
\mathrm{p}(\mathrm{~m}) & =\mathrm{n}(\mathrm{~m}) / \mathrm{n}(\text { total }) \\
& =6 / 95 \\
& =0.0632
\end{aligned}
$$

### 2.6.2 Entropy

To illustrate entropy, the word "BİLGI" will be used as an example. First the letter frequencies are calculated and they are ;

$$
\begin{aligned}
& \mathrm{p}(\mathrm{~B})=0.2 \\
& \mathrm{p}(\mathrm{I})=0.4 \\
& \mathrm{p}(\mathrm{~L})=0.2 \\
& \mathrm{p}(\mathrm{G})=0.2
\end{aligned}
$$

The entropy of the letter "I" in the word BILGİ is the measure of uncertainty associated with "I", i.e. if one letter of the word BİLGİ is chosen how uncertain one is that the chosen letter is "İ". The probability that it is an "I'" is 0.4 , so the entropy H ( $\dot{I}$ ) is,

$$
\begin{aligned}
\mathrm{H}(\mathrm{I}) & =-(0.4 \log (0.4)) \\
& =0.52877
\end{aligned}
$$

Similarly the entropy of "L" is H (L) and is equal to

$$
\begin{aligned}
\mathrm{H}(\mathrm{~L}) & =-((0.2 \log (0.2)) \\
& =0.46439
\end{aligned}
$$

The uncertainty associated with $\dot{I}$ is more because the probability is close to 0.5 . For the letter $L$, since the probability is 0.2 one can almost be sure that the selected letter is not L , therefore resulting in less uncertainty and less entropy.

### 2.6.2 Entropy

To illustrate entropy, the word "BİLGI" will be used as an example. First the letter frequencies are calculated and they are ;

$$
\begin{aligned}
& p(\mathrm{~B})=0.2 \\
& \mathrm{p}(\mathrm{I})=0.4 \\
& \mathrm{p}(\mathrm{~L})=0.2 \\
& \mathrm{p}(\mathrm{G})=0.2
\end{aligned}
$$

The entropy of the letter "I'" in the word BİLGİ is the measure of uncertainty associated with "I". i.e. if one letter of the word BILGİ is chosen how uncertain one is that the chosen letter is "I'". The probability that it is an "İ" is 0.4 , so the entropy H (İ) is,

$$
\begin{aligned}
\mathrm{H}(\dot{\mathrm{I}}) & =-(0.4 \log (0.4)) \\
& =0.52877
\end{aligned}
$$

Similarly the entropy of " $L$ " is $H(L)$ and is equal to
$\mathrm{H}(\mathrm{L})=-((0.2 \log (0.2))$
$=0.46439$
The uncertainty associated with $\dot{I}$ is more because the probability is close to 0.5 . For the letter L, since the probability is 0.2 one can almost be sure that the selected letter is not L , therefore resulting in less uncertainty and less entropy.

## CHAPTER 3 : CRYPTOLOGICAL BACKGROUND

## 3. 1 Introduction

This chapter is written to give some insight and information about cryptology; its vocabulary the uses and applications.

Cryptology originates from the two Greek words; cryptos meaning secret, and logos meaning science. Since historical times, the need to hide or protect information from unauthorized ones has been a major concern. For example; in times of war, one of the fighting sides may need to get a message to it's allies and they have to make sure that the message in concern is not to be seen or heard by its opponents. They can do this in many ways such as; having a messenger memorize a text and reveal it only to those who are authorized, use means of media and hope that no eavesdroppers are around, or to arrange the message in such a way that even if it is intercepted by others, the meaning will not be fully or thoroughly understood.

The last choice, but not the least, seems to be the best way of all. The drawbacks of the other two ways is; if a messenger is trapped by an opponent he/she may reveal the message under extraordinary circumstances such as torture or threat. The second way has its disadvantages that one can only hope for the best, but it must not be forgotten that hoping for the best brings along expecting the worst.

It is cryptology which makes it possible for people to arrange the information in such a way that, when intercepted by others, rather than the one(s) intended to receive it, does not make any sense.

### 3.2 The need for cryptology

Today cryptology is known as the science of secret and secure communication. The need for security in national or international communication, in military or diplomatic disciplines has been achieved by the secrecy that cryptology provides.

Computer systems and huge networks used in our daily lives has brought up the need to protect the information, from the unauthorized ones, and people who would destroy it. As a result of this, security has become more and more important.

Cryptology has been the answer to the need for secrecy and authentication and was mostly used by military purposes. Nowadays, if not secret but delicate information is transferred from one network to another such as health, insurance, credit card etc. records. These records are considered and should be kept private and need to be protected against alterations by unauthorized people. This privacy and protection is provided by cryptology .

### 3.3 Definitions

Cryptology or the science of secrecy is studied under two topics - Cryptography the science of ciphering and Cryptanalysis - cipher breaking.

### 3.3.1 Cryptography

A message is called a plaintext, or sometimes referred as the cleartext. The process of disguising a message in such a way as to hide its substance is named enciphering or
encryption. An enciphered text is called a ciphertext or cryptogram. The process of converting a ciphertext into plaintext ,by all legal means is, deciphering or decryption. ${ }^{1}$ It must be noted that deciphering is not as same as cipher breaking, which is totally a different activity.

Cryptography involves the act of producing a ciphertext - enciphering; such that when intercepted by unauthorized people it will not reveal its true meaning, and the act of obtaining the plaintext from ciphertext by legal means - deciphering. People practicing this science, cryptography, are called cryptographers.

### 3.3.1.1 Algorithms

When converting a plaintext into a ciphertext, cryptographers use different kind of algorithms which are also called keys. These algorithms are nothing but some set of transformation or substitution functions. The same holds true when a ciphertext is being deciphered. All of these algorithms used in the processes of ciphering and deciphering are called the cryptosystem.

### 3.3.1.2 Classification of Cryptosystems

Cryptosystems are classified according to the key(s) used in enciphering and deciphering.

[^7]
### 3.3.1.2.1 Symmetric Cryptosystems

If the key used in enciphering and deciphering are the same then the cryptosystem is said to be symmetric.

To formulate this:

| Message or plaintext | $:$ | Denoted by $\mathbf{M}$ or $\mathbf{P}$ which can |
| :--- | :--- | :--- |
|  | be stream of bits, digital image etc. or |  |
|  | simply the message to be encrypted. |  |
| Encryption algorithm | $:$ | Denoted by $\mathbf{E}$. |
| Encryption key | $:$ | $\mathbf{K}$ |
| Enciphered text | $:$ | $\mathbf{C}$ |

The encryption key used to encipher a message may be any one of the finite number of keys which make up the key space. So it is the cryptographer's choice to select the specific key to be used. This results in a new definition for the encryption function or a better way to state is:

Encryption function $\quad: \quad \mathrm{E}_{\mathrm{k}}$ which must be a function that has an inverse.
$\mathrm{E}_{\mathrm{k}}$ operates on $\mathbf{M}$ to produce $\mathbf{C}$. To show this mathematically:

$$
E_{k}(M)=C
$$

can be written.

As for the decryption process a new function is needed to be defined;
Decryption algorithm : $\quad D_{k}$
$D_{k}$ will operate on the ciphertext to obtain the original message, or mathematically;

$$
\begin{gathered}
D_{k}(C)=M \\
\text { or } \\
D_{k}\left(E_{k}(M)\right)=M
\end{gathered}
$$

As can be noted, the key used for both processes is the same, (k), which makes the cryptosystem symmetrical.

### 3.3.1.3 Asymmetrical Cryptosystems (Public-Key Cryptosystems)

In some cases the keys used for enciphering and deciphering are different from each other. The different key usage makes the type of the cryptosystem be called as asymmetric or public-key. With these systems, the encryption key is made public, i.e. any person has access to the encryption key (also called public key ). He or she can use this key to encrypt a message, but this encrypted message can only be decrypted by the specific person who has the corresponding decryption key. This is why the decryption key is called the private key in such systems. With new definitions;

| Encryption key | $:$ | $\mathrm{k}_{1}$ |
| :--- | :--- | :--- |
| Decryption key | $:$ | $\mathrm{k}_{2}$ |

Plaintext, ciphertext, encryption and decryption functions being the same as the ones defined in the previous part, the system works as;
$\mathrm{E}_{\mathrm{k} 1}$ operates on M to produce the ciphertext C :

$$
\mathrm{E}_{\mathrm{kl}}(\mathrm{M})=\mathrm{C}
$$

Then $\mathrm{D}_{\mathrm{k} 2}$ operates on C to obtain the original plaintext M .

$$
D_{k 2}(C)=M
$$

$$
D_{k 2}\left(E_{k 1}(M)\right)=M
$$

### 3.3.2 Cryptanalysis

The whole point of cryptography is to keep the plaintext, or the key, or both, secret from eavesdroppers, intruders, interceptors or as generally called the enemies. ${ }^{2}$ These people are assumed to have access to the communication between the sender and the receiver.

Cryptanalysis is the science of recovering the plaintext of an enciphered message without having a legal access to the key. People who are practicing this science are called cryptanalysts. A successful cryptanalyst may recover the key and then use this key to obtain the plaintext or sometimes even in the absence of any knowledge of the key may recover the plaintext.

Nowadays the science of cryptanalysis holds within itself many sciences that may seem to be irrelevant to one another such as; Probability Theory, Statistics, Information Theory, Thermodynamics, Linguistics, and Computer Sciences, which on the other hand are interconnected to each other by means of mathematical equalities. The broad field of

[^8]sciences that cryptanalysis contains in itself explains the state of the art that it has reached. Keeping in mind the aim in concern, from time to time it is named as "Black Art". ${ }^{3}$

Any attempted act of cryptanalysis is called an attack. Based on the assumption that the cryptanalyst has complete knowledge of the encryption algorithm used, attacks are classified into four groups; ciphertext-only, known-plaintext, chosen-plaintext, and adaptive-chosen-plaintext attacks.

### 3.3.2.1 Ciphertext-only Attack

The cryptanalyst has the ciphertexts of several messages, which all have been encrypted by the use of the same encryption algorithm. When this is the case, the cryptanalyst may choose to recover as many original plaintexts of these cryptograms or a better choice may be to deduce the key(s) which were used to encrypt the messages. Once the key(s) is(are) obtained then any message encrypted with it can easily be decrypted to obtain the corresponding original plaintex. Shortly ;

$$
\begin{aligned}
\text { Given }: & C_{1}=E_{k}\left(M_{1}\right), C_{2}=E_{k}\left(M_{2}\right), \ldots \ldots, C_{i}=E_{k}\left(M_{i}\right) \\
\text { Aim } & : \text { Obtain } M_{1}, M_{2}, \ldots, M_{i} ; k ; \\
& \text { or an algorithm that will produce } P_{i+1} \text { from } C_{i+1}=E_{k}\left(P_{i+1}\right)
\end{aligned}
$$

### 3.3.2.2 Known-plaintext Attack

The cryptanalyst does not only has access to the ciphertext of several messages he

[^9]also has plaintext of those several messages. What he has to do is simply find the key(s) which was used to encrypt the messages, or come up with an algorithm which will decrypt any new message encrypted with the same key(s).

Given : $M_{1}, C_{1}=E_{k}\left(M_{1}\right), M_{2}, C_{2}=E_{k}\left(M_{2}\right), \ldots \ldots, M_{i} C_{i}=E_{k}\left(M_{i}\right)$
Aim : Obtain k;
or an algorithm that will produce $\mathrm{P}_{\mathrm{i}+1}$ from $\mathrm{C}_{\mathrm{i}+1}=\mathrm{E}_{\mathrm{k}}\left(\mathrm{P}_{\mathrm{i}+1}\right)$

### 3.3.2.3 Chosen-plaintext Attack

The cryptanalyst does not only have access to ciphertexts and plaintexts of several messages, he also chooses the plaintext that is encrypted. This is more powerful than a known-plaintext attack because the cryptanalyst can choose specific plaintext blocks to encrypt, ones which are likely to yield more information about the key. His job is simply find the key(s) which was used to encrypt the messages, or come up with an algorithm which will decrypt any new message encrypted with the same key(s).

$$
\text { Given : } M_{1}, C_{1}=E_{k}\left(M_{1}\right), M_{2}, C_{2}=E_{k}\left(M_{2}\right), \ldots \ldots, M_{i} C_{i}=E_{k}\left(M_{i}\right)
$$

where the cryptanalyst gets to choose from $M_{1}, M_{2}, \ldots, M_{i}$
Aim : Obtain k;
or an algorithm that will produce $\mathrm{P}_{\mathrm{i}+1}$ from $\mathrm{C}_{\mathrm{i}+1}=\mathrm{E}_{\mathrm{k}}\left(\mathrm{P}_{\mathrm{i}+1}\right)$

### 3.3.2.4 Adaptive chosen-plaintext Attack

This is a special case of chosen-plaintext attack. The cryptanalyst, together with the choice of plaintext that is encrypted, can also modify his selection based on the results of the previous encryption. To make the distinction more clear; the cryptanalyst may choose a smaller part of a plaintext than he does in chosen-plaintext attack, and depending on the result of this analysis, he may choose a larger block the next time, even a larger block the following time, and so on.

Besides these, there are three other, not generally recognized, groups of attacks:

### 3.3.2.5 Chosen-ciphertext Attack

The cryptanalyst can choose different ciphertexts to be decrypted and he has access to the decrypted plaintext. An example would be that the cryptanalyst has access to the machine/system that does the decryption automatically. Then what he is to determine is, the key.

Given : $\mathrm{C}_{1}, \mathrm{M}_{1}=\mathrm{D}_{\mathrm{k}}\left(\mathrm{C}_{1}\right), \mathrm{C}_{2}, \mathrm{M}_{2}=\mathrm{D}_{\mathrm{k}}\left(\mathrm{C}_{2}\right), \ldots \ldots, \mathrm{C}_{\mathrm{i}} \mathrm{M}_{\mathrm{i}}=\mathrm{D}_{\mathrm{k}}\left(\mathrm{C}_{\mathrm{i}}\right)$
Aim : Obtain k

### 3.3.2.6 Chosen-key Attack

The name of the attack is misleading so it does not imply that the cryptanalyst can choose the key. It is described as the situation where the cryptanalyst has some knowledge
about the relationship between different keys. This type of attack is strange and obscure, and also not practical. ${ }^{4}$

### 3.3.2.7 Rubber-hose Cryptanalysis

This is the case in which the cryptanalyst threatens, blackmails, or tortures someone who has access to the key, or even bribe him to give him the key. Getting the key by bribery is sometimes called purchase-key attack. All of these attacks, though not ethical, are all very powerful and often best way to break an algorithm.

### 3.4 Security of Algorithms

Depending on how hard it is to break an algorithm, constitutes its degree of security.
Founder's of cryptographic algorithms may consider themselves safe under the following conditions:

If the cost required to break an algorithm exceeds the value of the data that is encrypted.

If the time required to break an algorithm is longer than the time the encrypted data should and must remain secret.

If the amount of data encrypted with a single key is less than the data required to break the algorithm.

As for the cryptanalysis point of view; the value of the data to be obtained after deciphering, should and always be less than the cost to break the security protecting it.

[^10]According to Lars Knudsen, different catagories of breaking algorithms are classified in decreasing order of severity are: ${ }^{5}$

1) Total break. The cryptanalyst finds the key $K$, such that

$$
D_{k}(C)=M
$$

2) Global Detection. The cryptanalyst finds an alternate algorithm, A, equivalent to $\mathrm{D}_{\mathrm{k}}(\mathrm{C})$ without knowing k .
3) Instance (local) deduction. The cryptanalyst finds the plaintext of an intercepted ciphertext.
4) Information deduction. The cryptanalyst gains some information about the key or plaintext, which can be a few bits of the key, some information about the form of the plaintext, etc.

### 3.4.1 Unconditional and Computational Security

No matter how much ciphertext a cyptanalyst intercepts, if there is not enough information for him to recover the original plaintext, the algorithm used to produce the ciphertext is considered unconditionally secure.

An algorithm is considered to be computationally secure, if it cannot be broken with any resources available ${ }^{6}$ either existing or have a chance to be found in the future.

[^11]
### 3.5 Complexity of an Attack

The complexity of an attack is usually taken to be the minimum of the three factors listed below:

1) The amount of data needed as input to the attack; data complexity.
2) The time it takes to perform the attack; sometimes called the work factor but more often referred as processing complexity.
3) The amount of memory needed to perform the attack; storage requirements.

## CHAPTER 4 : ANALYSIS OF TURKEY TURKISH WORDS BY DISCRETE MARKOV PROCESSES

## 4. 1 Markov Processes

Using a zero order approach to obtain the probability of observing a certain word say "BİLGİ" can be explained as follows:

Each letter can be considered as a random variable and these random variables forming a function, a word. For the zero order approach all letters are independent and are not a function of the letters before them. Since this is the case, the marginal probabilities are to be considered, i.e. the letter frequencies. The probability of observing the word "BİLGI" among all 5 -letter words in a plaintext depends on the product of individual probabilities of the letters. Or :

$$
\mathrm{p}(\mathrm{BİLGİ})=p(\mathrm{~B}) \mathrm{p}(\mathrm{I}) \mathrm{p}(\mathrm{~L}) \mathrm{p}(\mathrm{G}) \mathrm{p}(\mathrm{I})
$$

Using numerical results of a cryptanalytical measure study, the probability of occurrence of the word BILGİ is ;

$$
\begin{aligned}
\mathrm{p}(\mathrm{BİLGİ}) & =(0.0295)(0.0827)(0.0575)(0.0134)(0.0827) \\
& =1.5546 \mathrm{E}-07
\end{aligned}
$$

$p(B)$ for example is the ratio of the total number of B's counted within the text to the total number of letters that make up the text, i.e. the relative frequency of B.

A first order Markov Process approach tells that the process is independent of past states if its present state is known. So each state is dependent on the state that it precedes. Applying this approach to the word "BİLGI", the letter B does not follow any letter so one has to consider its marginal probability. The letter $L$ is followed by İ
(the first I ) so the probability to be considered is the conditional probability of L known that the letter it follows is $\dot{I}$. So the probability of observing the word "BILGI" among all 5-letter words in a plaintext is :

$$
\mathrm{p}(\mathrm{BILGI})=\mathrm{p}(\mathrm{~B}) \mathrm{p}_{\mathrm{B}}(\dot{\mathrm{I}}) \mathrm{p}_{\mathrm{I}}(\mathrm{~L}) \mathrm{p}_{\mathrm{L}}(\mathrm{G}) \mathrm{p}_{\mathrm{G}}(\mathrm{I})
$$

$\mathrm{p}_{\mathrm{B}}(\dot{\mathrm{I}})=\mathrm{p}(\dot{\mathrm{I}} / \mathrm{B})=\mathrm{p}(\mathrm{BI}) / \mathrm{p}(\mathrm{B})$
$\mathrm{p}(\mathrm{BI})$ is the ratio of total number of BI's found in the text to the total number of 2-letter combinations.

## 4. 2 Consonant - Vowel (c-v) Patterns

Among the letters in the Turkey Turkish alphabet a, e, $1, \mathrm{i}, \mathrm{o}, \mathrm{o}, \mathrm{u}$, ü are classified as vowels, and the rest is named as consonants. To obtain the c-v pattern for example say the word "BILGi" one substitutes c for all consonants ( $\mathrm{B}, \mathrm{L}, \mathrm{G}$ ), and v for vowels (I's).

$$
(\mathrm{BiLGI})_{\mathrm{cv}}=\mathrm{CVCCV}
$$

For joint and conditional probabilities these patterns are used instead of the letters that make up the words. The results obtained are all based on the c-v patterns that the words or modified phrases represent.

The joint probability of the occurrence word BILGİ of the 0 order approach is $p(B I L G I)=p(C V C C V)=p(C) p(V) P(C) P(C) p(V)$

A first order approach for the conditional probability would be ;

$$
p(\mathrm{CVCCV})_{1}=p(C) p(V / C) p(C / C) p(C / V)
$$

### 4.3 Analysis

The results of the study by Ass. Prof. Dr. Ahmet Hasan KOLTUKSUZ, (the probability of 1 to 5 letter long $\mathrm{c}-\mathrm{v}$ patterns) were used to obtain the conditional probabilities of c-v patterns. The overall results are turned into a table (Table 1).

The entries in bold letters are the results deducted from the original table formed by Dr. Koltuksuz's works. They are the conditional probabilities obtained by the use of marginal probabilities.

To make the concept clearer here is an example how the new entries are deducted:

The total number of vowels that were present in the bundle of text is $\mathrm{n}(\mathrm{v})=2.283 .012$, where as the total number of letters vowel or consonant added up to $n(t)=5.321 .885$. Therefore applying the concept of relative frequency, or since the number is high enough the word probability can be used, probability of observing a v all through the text is $\mathrm{p}(\mathrm{v})=\mathrm{n}(\mathrm{v}) / \mathrm{n}(\mathrm{t})=2.283 .012 / 5.321 .885=0,428986$.

To obtain the conditional probability values the procedure used is as follows;
The conditional probability of observing a v , knowing that the letter coming before that is a v , can be stated as the conditional probability of v given v and denoted as $p_{v}(v)$. Applying the concept of conditional probability
$\mathrm{p}_{\mathrm{v}}(\mathrm{v})=\mathrm{n}(\mathrm{vv}) / \mathrm{n}(\mathrm{v})$;
$\mathrm{n}(\mathrm{vv})$ is the total of vv combinations in the bundle of text (taken from the second series of rows in the table)
$n(v)$ is the total number of $v$ 's in the text.
So $p_{v}(v)=105.043 / 2.283 .012=0,046011$

Table 1. Conditional probabilities for the Markov Orders and

## Related Entropies of Turkey Turkish Words

| Known | frequency | probability | given : v | given : $\mathbf{c}$ | sum |
| :---: | :---: | :---: | :---: | :---: | :---: |
| v | 2283012 | 0,428986 | $\mathbf{0 , 0 4 6 0 1 1}$ | $\mathbf{0 , 9 5 3 9 8 9}$ | 1,0000 |
| c | 3038873 | 0,571014 | $\mathbf{0 , 7 1 6 7 0 3}$ | $\mathbf{0 , 2 8 3 2 9 7}$ | 1,0000 |
| Sum | 5321885 | 1,000000 |  |  |  |


| Known | frequency | probability | given : v | given : c | sum |
| :---: | :---: | :---: | :---: | :---: | :---: |
| vv | 105043 | 0,019738 | $\mathbf{0 , 0 0 9 4 4 4}$ | $\mathbf{0 , 9 9 0 5 5 6}$ | 1,0000 |
| vc | 2177969 | 0,409248 | $\mathbf{0 , 6 1 1 1 8 6}$ | $\mathbf{0 , 3 8 8 8 1 4}$ | 1,0000 |
| cv | 2177969 | 0,409248 | $\mathbf{0 , 0 4 7 7 7 4}$ | $\mathbf{0 , 9 5 2 2 2 6}$ | 1,0000 |
| cc | 860903 | 0,161767 | $\mathbf{0 , 9 8 3 6 4 6}$ | $\mathbf{0 , 0 1 6 3 5 4}$ | 1,0000 |
| Sum | 5321884 | 1,000000 |  |  |  |


| Known | frequency | probability | given : v | given : c | sum |
| :---: | :---: | :---: | :---: | :---: | :---: |
| vvv | 992 | 0,000186 | $\mathbf{0 , 0 0 3 0 2 4}$ | $\mathbf{0 , 9 9 6 9 7 6}$ | 1,0000 |
| vvc | 104051 | 0,019552 | $\mathbf{0 , 5 4 2 9 5 5}$ | $\mathbf{0 , 4 5 7 0 4 5}$ | 1,0000 |
| vcv | 1331144 | 0,250127 | $\mathbf{0 , 0 4 5 4 8 9}$ | $\mathbf{0 , 9 5 4 5 1 1}$ | 1,0000 |
| vcc | 846824 | 0,159121 | $\mathbf{0 , 9 8 3 6 3 9}$ | $\mathbf{0 , 0 1 6 3 6 1}$ | 1,0000 |
| cvv | 104051 | 0,019552 | $\mathbf{0 , 0 0 9 5 0 5}$ | $\mathbf{0 , 9 9 0 4 9 5}$ | 1,0000 |
| cvc | 2073918 | 0,389696 | $\mathbf{0 , 6 1 4 6 0 9}$ | $\mathbf{0 , 3 8 5 3 9 0}$ | 1,0000 |
| ccv | 846824 | 0,159121 | $\mathbf{0 , 0 5 1 3 6 6}$ | $\mathbf{0 , 9 4 8 6 3 4}$ | 1,0000 |
| ccc | 14079 | 0,002645 | $\mathbf{0 , 9 8 4 0 9 0}$ | $\mathbf{0 , 0 1 5 9 1 0}$ | 1,0000 |
| Sum | 5321883 | 1,000000 |  |  |  |

Table 1. Conditional probabilities for the Markov Orders and
Related Entropies of Turkey Turkish Words (Continued)

| Known | frequency | probability | given : v | given : c | sum |
| :---: | :---: | :---: | :---: | :---: | :---: |
| vvvv | 3 | 0,000001 | $\mathbf{0 , 0 0 0 0 0 0}$ | $\mathbf{1 , 0 0 0 0 0 0}$ | 1,0000 |
| vvvc | 989 | 0,000186 | $\mathbf{0 , 6 1 8 8 0 7}$ | $\mathbf{0 , 3 8 1 1 9 3}$ | 1,0000 |
| vvcv | 56495 | 0,010616 | $\mathbf{0 , 0 4 4 0 2 2}$ | $\mathbf{0 , 9 5 5 9 7 8}$ | 1,0000 |
| vvcc | 47556 | 0,008936 | $\mathbf{0 , 9 7 8 5 7 3}$ | $\mathbf{0 , 0 2 1 4 2 7}$ | 1,0000 |
| vcvv | 60553 | 0,011378 | $\mathbf{0 , 0 0 8 9 6 7}$ | $\mathbf{0 , 9 9 1 0 3 3}$ | 1,0000 |
| vcvc | 1270591 | 0,238748 | $\mathbf{0 , 5 9 7 3 9 2}$ | $\mathbf{0 , 4 0 2 6 0 7}$ | 1,0000 |
| vccv | 832969 | 0,156518 | $\mathbf{0 , 0 5 1 5 3 0}$ | $\mathbf{0 , 9 4 8 4 7 0}$ | 1,0000 |
| vccc | 13855 | 0,002603 | $\mathbf{0 , 9 8 5 5 6 5}$ | $\mathbf{0 , 0 1 4 4 3 5}$ | 1,0000 |
| cvvv | 989 | 0,000186 | $\mathbf{0 , 0 0 3 0 3 3}$ | $\mathbf{0 , 9 9 6 9 6 7}$ | 1,0000 |
| cvvc | 103062 | 0,019366 | $\mathbf{0 , 5 4 2 2 2 7}$ | $\mathbf{0 , 4 5 7 7 7 3}$ | 1,0000 |
| cvcv | 1274649 | 0,239511 | $\mathbf{0 , 0 4 5 5 5 5}$ | $\mathbf{0 , 9 5 4 4 4 5}$ | 1,0000 |
| cvcc | 799268 | 0,150185 | $\mathbf{0 , 9 8 3 9 4 0}$ | $\mathbf{0 , 0 1 6 0 6 0}$ | 1,0000 |
| ccvv | 43498 | 0,008173 | $\mathbf{0 , 0 1 0 2 5 3}$ | $\mathbf{0 , 9 8 9 7 4 7}$ | 1,0000 |
| ccvc | 803326 | 0,150948 | $\mathbf{0 , 6 4 1 8 4 2}$ | $\mathbf{0 , 3 5 8 1 5 8}$ | 1,0000 |
| cccv | 13855 | 0,002603 | $\mathbf{0 , 0 4 1 5 0 1}$ | $\mathbf{0 , 9 5 8 4 9 9}$ | 1,0000 |
| cccc | 224 | 0,000042 | $\mathbf{0 , 8 9 2 8 5 7}$ | $\mathbf{0 , 1 0 7 1 4 3}$ | 1,0000 |
| Sum | 5321882 | 1,000000 |  |  |  |

The number of words that the analysis was performed over adds up to 21,395. To make the method clear, some examples are listed below:

## One letter words

| word | $:$ | 0 |
| :--- | :--- | :--- |
| c-v pattern | $:$ | v |
| number of letters | $:$ | 1 |
| Markov order | $:$ | 0 |
| $p(v)$ | $:$ | 0.428986 |

## Two letter words

| word | $:$ | et |
| :--- | :--- | :--- |
| c-v pattern | $:$ | vc |
| number of letters | $:$ | 2 |
| Markov order | $:$ | 0 |
| $\mathrm{p}(\mathrm{v}) \mathrm{p}(\mathrm{c}):$ | $:$ | $0.048986 * 0.571014=0.244957$ |
| Markov order | $:$ | 1 |
| $\mathrm{p}(\mathrm{v}) \mathrm{p}_{\mathrm{v}}(\mathrm{c})$ | $:$ | $0.428986 * 0.953989=0.409248$ |

Three letter words
word : aba
c-v pattern : vcv
number of letters : 3
Markov order : 0
$\mathrm{p}(\mathrm{v}) \mathrm{p}(\mathrm{c}) \mathrm{p}(\mathrm{v}): \quad: \quad 0.105083$
Markov order : 1
$\mathrm{p}(\mathrm{v}) \mathrm{p}_{\mathrm{v}}(\mathrm{c}) \mathrm{p}_{\mathrm{c}}(\mathrm{v}) \quad: \quad 0.233309$
Markov order : 2
$\mathrm{p}(\mathrm{vc}) \mathrm{p}_{\mathrm{vc}}(\mathrm{v}) \quad: \quad 0.250127$

## Four letter words

| word | $:$ | baca |
| :--- | :--- | :--- |
| c-v pattern | $:$ | cvcv |
| number of letters | $:$ | 4 |
| Markov order | $:$ | 0 |
| $\mathrm{p}(\mathrm{c}) \mathrm{p}(\mathrm{v}) \mathrm{p}(\mathrm{c}) \mathrm{p}(\mathrm{v})$ | $:$ | 0.600004 |
| Markov order | $:$ | 1 |
| p(c) $\mathrm{p}_{\mathrm{c}}(\mathrm{v}) \mathrm{p}_{\mathrm{v}}(\mathrm{c}) \mathrm{p}_{\mathrm{c}}(\mathrm{v})$ | $:$ | 0.279813 |
| Markov order | $:$ | 2 |
| $\mathrm{p}(\mathrm{cv}) \mathrm{p}_{\mathrm{cv}}(\mathrm{c}) \mathrm{p}_{\mathrm{vc}}(\mathrm{v})$ | $:$ | 0.238177 |
| Markov order | $:$ | 3 |
| $\mathrm{p}(\mathrm{cvc}) \mathrm{p}_{\mathrm{cvc}}(\mathrm{v})$ | $:$ | 0.239511 |

## Five letter words

| word | $:$ | engin |
| :--- | :--- | :--- |
| c-v pattern | $:$ | vccvc |
| number of letters | $:$ | 5 |
| Markov order | $:$ | 0 |
| $\mathrm{p}(\mathrm{v}) \mathrm{p}(\mathrm{c}) \mathrm{p}(\mathrm{c}) \mathrm{p}(\mathrm{v}) \mathrm{p}(\mathrm{c})$ | $:$ | 0.034263 |
| Markov order | $:$ | 1 |
| $\mathrm{p}(\mathrm{v}) \mathrm{p}_{\mathrm{v}}(\mathrm{c}) \mathrm{p}_{\mathrm{c}}(\mathrm{c}) \mathrm{p}_{\mathrm{c}}(\mathrm{v}) \mathrm{p}_{\mathrm{v}}(\mathrm{c}):$ | 0.079270 |  |
| Markov order | $:$ | 2 |
| $\mathrm{p}(\mathrm{vc}) \mathrm{p}_{\mathrm{vc}}(\mathrm{c}) \mathrm{p}_{\mathrm{cc}}(\mathrm{v}) \mathrm{p}_{\mathrm{cv}}(\mathrm{c}):$ | 0.149042 |  |
| Markov order | $:$ | 3 |
| $\mathrm{p}(\mathrm{vcc}) \mathrm{p}_{\mathrm{vcc}}(\mathrm{v}) \mathrm{p}_{\mathrm{ccv}}(\mathrm{c})$ | $:$ | 0.148478 |
| Markov order | $:$ | 4 |
| $\mathrm{p}(\mathrm{vccv}) \mathrm{p}_{\mathrm{vccv}}(\mathrm{c})$ | $:$ | 0.148453 |

### 4.4 Presentation of the analysis

The analysis was performed over 21,395 words of different word lengths. Assuming the average word length is 4 letters, in order to display the results, in the standard form chosen requires 7 lines;

1 line for the word itself
1 line for its $\mathrm{c}-\mathrm{v}$ pattern
1 line for the word length
4 lines for 0 to $3^{\text {rd }}$ order approach results and relevant entropic values.

The fourth chapter with a rough estimate would be consisting of 149,765 lines. A standard A4 sheet can take up to almost 50 lines with the text written in Arial 10. To display the results of this specific analysis one copy requires 3,000 standard A4 sheets, which is equal to 6 A 4 packs of paper.

Due to the time that it would take to print out, the finance the process demands, and the fact that 5 copies are to be made, the results are compressed with the use of WinZip software and then saved on a $31 / 2$ floppy disk.

## 4. 5 Examples from the Analysis

Since it was not efficient to display all the results, some examples were selected from some letters to give some idea about the conditional probabilities of c -v patterns. They are presented in Appendix 1.

## CHAPTER 5 : COMMENTS and FURTHER STUDIES

### 5.1 Comments

If the conditional probability and conditional entropy values are analyzed, it can be seen that starting from $2^{\text {nd }}$ order and on, these probability and entropy values are very close to each other and in most cases they are exactly the same. (i.e. through $0,1^{\text {st }}$, and $2^{\text {nd }}$ orders the probability changes, then stays almost the same through $3^{\text {rd }}$ and $4^{\text {th }}$ orders.)

This can be interpreted as follows;
No matter how many characters are in a word, if one knows the first three letters then to make up the whole word from that three letters can be easily done. Knowing the $4^{\text {th }}$ or the $5^{\text {th }}$ or more letters of the word do not provide more information than knowing the first three letters.

Reviewing the structure of Turkey Turkish words, the above conclusion is no surprise. In order to pronounce a vowel, one needs a consonant before or after that vowel. It is very very rare to see two vowels and/or three consonants sequentially.

With these results, a cryptanalyst may easily obtain the c-v pattern of an enciphered text. If this study is to be done on letter basis instead of $\mathrm{c}-\mathrm{v}$ pattern basis, then a cryptanalyst may easily differentiate between the letters. For example if he comes across a three letter word say b?l, looking at the entropy values he can decide which one is most probable; bil, bul, bal, bol, böl etc.

## 5. 2 Further Studies

Although cryptanalytical measure studies in most other languages (English, German, French etc.) have been completed, works on Turkey Turkish have started just recently.

These results may not be meaningful all by themselves but they are obtained by using the results of the previous study.

The results obtained from the analysis in this thesis may well constitute basis for another study for example analyzing the words in character format instead of $\mathrm{c}-\mathrm{v}$ patterns.

If all these results(previous, these, and future ones) are to be stored in a database, which can perform queries and useful sorts, then all these numerical values would have a meaning.

## SUMMARY

The Redhouse Turkish Dictionary was transferred to the electronic environment and then gone under a filtration process. The filtration process involved all words starting with capital letters being replaced with small case ones, spaces between idioms and two or more word phrases being deleted to make them appear as a single word, and words that are spelled exactly the same but carry different meanings were eliminated so that only a single one was left in the sample space.

Cryptanalytical measures of Turkey Turkish words converted into their corresponding c-v patterns were obtained by Markov processes approach. These measures were obtained for $0,1^{\text {st }}, 2^{\text {nd }}, 3^{\text {rd }}$, and $4^{\text {th }}$ degree approaches each. For each word available in the sample space and/or dictionary;

1) The word itself
2) It's c-v pattern
3) Word length
4) Its c-v pattern's conditional probability starting from 0 order to $n_{t h}$ order ( $\mathrm{n}=$ =wordlength -1 )
5) For each order the corresponding entropy values were calculated.

The number of words analyzed is 21,395 .

## ÖZET

Redhouse Türkçe sözlüğü elektronik ortama aktarılmış ve daha sonra saflaştırma işlemine tabii tutulmuștur. Saflaştırma ișleminin așamaları sırasıyla şöyledir; büyük harfle bașlayan kelimeler küçük harflerle değiştirilmiş, deyimler ve birden fazla sözcükten oluşan isimler arasındaki boşluklar silinmiş, aynı şekilde yazılan fakat farklı anlamlar taşıyan kelimelerden yanlızca bir tanesi kalmak üzere diğerleri örnek uzayından silinmiș, son olarak günümüz Türkçesi'nde kullanılmayan sözcükler elimine edilmiştir.

Türkiye Türkçesi'nde kullanılan kelimelerin kriptanalitik ölçütleri ayrık Markov yaklaşımlarıyla belirlenmiştir. Bu ölçütler sırasıyla $0,1 ., 2$., 3. ve 4. derece yaklaşımlarla elde edilmiştir. Örnek uzayında ve/veya sözlükte yer alan tüm kelimeler için;

1) Kelimenin kendisi
2) Sesli-sessiz deseni
3) Kelime uzunluğu
4) 0 ile $n$ arası yaklaşımların her biri için sesli-sessiz deseninin koşullu olasılık ( $\mathrm{n}=$ =kelime uzunluğu -1 )
5) Her derece için karşılık gelen entropi değerleri belirlenmiştir.

Analiz edilen toplam sözcük sayısı 21,395 tanedir.

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## APPENDIX 1. Selected examples from the analysis

| Word | $:$ | aba |
| :--- | :--- | :--- |
| Pattern | $:$ | VCV |
| Word Length $:$ | 3 |  |
| Order $\quad$ Markov | Entropy |  |
| 0th. | 0.105083 | 0.341562 |
| 1st. | 0.293309 | 0.519012 |
| 2nd. | 0.250127 | 0.500071 |


| Word | $:$ | abaküs |
| :--- | :--- | :--- |
| Pattern | $:$ | VCVCVC |
| Word Length | $:$ | 6 |
| Order | Markov | Entropy |
| 0th. | 0.014698 | 0.089487 |
| 1st. | 0.191316 | 0.456475 |
| 2nd. | 0.138616 | 0.395171 |
| 3rd. | 0.140062 | 0.397197 |
| 4th. | 0.136129 | 0.391637 |


| Word | $:$ | abalı |
| :--- | :--- | :--- |
| Pattern | $:$ | VCVCV |
| Word Length | $:$ | 5 |
| Order | Markov | Entropy |
| 0th. | 0.025741 | 0.135906 |
| 1st. | 0.200543 | 0.464862 |
| 2nd. | 0.145571 | 0.404717 |
| 3rd. | 0.146737 | 0.406270 |
| 4th. | 0.142626 | 0.400735 |


| Word | $:$ | abandone |
| :--- | :--- | :--- |
| Pattern | $:$ | VCVCCVCV |
| Word Length | $:$ | 8 |
| Order | Markov | Entropy |
| 0th. | 0.003600 | 0.029227 |
| 1st. | 0.038845 | 0.182032 |
| 2nd. | 0.053014 | 0.224647 |
| 3rd. | 0.052769 | 0.223959 |
| $4^{\text {th }}$. | 0.057576 | 0.237120 |


| Word | $:$ | abanmak |
| :--- | :--- | :--- |
| Pattern | $:$ | VCVCCVC |
| Word Length | $:$ | 7 |
| Order | Markov | Entropy |
| 0th. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227940 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.085857 | 0.304099 |
| 4th. | 0.089704 | 0.312052 |


| Word | $:$ abanoz |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCVC |  |
| Word Length | $: 6$ |  |
| Order | Markov | Entropy |
| 0th. | 0.014698 | 0.089487 |
| 1st. | 0.191316 | 0.456475 |
| 2nd. | 0.138616 | 0.395171 |
| 3rd. | 0.140062 | 0.397197 |
| 4th. | 0.136129 | 0.391637 |


| Word | :abartı |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCCV |  |
| Word Length |  | $: 6$ |
| Order | Markov | Entropy |
| Oth. | 0.014698 | 0.089487 |
| 1st. | 0.056813 | 0.235072 |
| 2nd. | 0.091092 | 0.314863 |
| 3rd. | 0.090506 | 0.313680 |
| 4th. | 0.094578 | 0.321787 |


| Word | :abartilı |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCCVCV |  |
| Word Length |  | $: 8$ |
| Order | Markov | Entropy |
| Oth. | 0.003600 | 0.029227 |
| Ist. | 0.038845 | 0.182032 |
| 2nd. | 0.053014 | 0.224647 |
| 3rd. | 0.052769 | 0.223959 |
| 4th. | 0.057576 | 0.237120 |


| Word | :abartilmak |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCCVCCVC |  |
| Word Length | $: 10$ |  |
| Order | Markov | Entropy |
| Oth. | 0.001174 | 0.011428 |
| 1st. | 0.010498 | 0.069013 |
| 2nd. | 0.031589 | 0.157455 |
| 3rd. | 0.030875 | 0.154914 |
| 4th. | 0.029983 | 0.151707 |


| Word | :bulgu |
| :--- | :---: |
| Pattern | $:$ CVCCV |
| Word Length $\quad: 5$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.034263 |
| 0.166765 |  |
| 1st. | 0.079270 |
| 2nd. | 0.149042 |
| 3rd. | 0.147728 |
| 4th. | 0.409300 |


| Word | :bulgur |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVC |  |
| Word Length $\quad: 6$ |  |  |
| Order | Markov | Entropy |
| Oth. | 0.019565 | 0.111041 |
| 1st. | 0.075623 | 0.281698 |
| 2nd. | 0.141921 | 0.399769 |
| 3rd. | 0.140140 | 0.397305 |
| 4th. | 0.140158 | 0.397331 |


| Word | :bulmaca |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVCV |  |
| Word Length $\quad: 7$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227939 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.086131 | 0.304673 |
| 4th. | 0.089959 | 0.312571 |


| Word | :bulmak |
| :--- | :--- |
| Pattern | $:$ CVCCVC |
| Word Length $: 6$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.019565 |
| 1st. | 0.111041 |
| 2nd. | 0.075623 |
| 3rd. | 0.281698 |
| 4th. | 0.141921 |


| Word | :buluğ |
| :--- | :---: |
| Pattern | $:$ CVCVC |
| Word Length $\quad: 5$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.034263 |
| 1st. | 0.166765 |
| 2nd. | 0.266939 |
| 3rd. | 0.508630 |
| 4th. | 0.228616 |


| Word | :bulunç |
| :--- | :---: |
| Pattern $\quad:$ CVCVCC |  |
| Word Length $\quad: 6$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.019565 |
| 1st. | 0.111041 |
| 2nd. | 0.075623 |
| 3rd. | 0.281698 |
| 4th. | 0.088106 |


| Word | :bulundurmak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVCCVCCVC |  |
| Word Length | $: 11$ |  |
| Order | Markov | Entropy |
| 0th. | 0.000670 | 0.007067 |
| 1st. | 0.010015 | 0.066518 |
| 2nd. | 0.030080 | 0.152057 |
| 3rd. | 0.029565 | 0.150189 |
| 4th. | 0.028709 | 0.147057 |


| Word | :bulunmak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVCCVC |  |
| Word Length | $: 8$ |  |
| Order | Markov | Entropy |
| 0th. | 0.004793 | 0.036926 |
| 1st. | 0.051705 | 0.220965 |
| 2nd. | 0.082596 | 0.297163 |
| 3rd. | 0.082213 | 0.296336 |
| 4th. | 0.085891 | 0.304171 |


| Word | $:$ bulunmaz |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVCCVC |  |
| Word Length | $: 8$ |  |
| Order | Markov | Entropy |
| 0th. | 0.004793 | 0.036926 |
| 1st. | 0.051705 | 0.220965 |
| 2nd. | 0.082596 | 0.297163 |
| 3rd. | 0.082213 | 0.296336 |
| 4th. | 0.085891 | 0.304171 |


| Word $\quad$ :buluntu |  |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCVCCV |  |  |
| Word Length | $: 7$ |  |
| Order | Markov | Entropy |
| 0th. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227939 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.086665 | 0.305789 |
| 4th. | 0.090558 | 0.313785 |


| Word | :enzim |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCCVC |  |
| Word Length | $: 5$ |  |
| Order | Markov | Entropy |
| Oth. | 0.034263 | 0.166765 |
| 1st. | 0.079270 | 0.289898 |
| 2nd. | 0.149042 | 0.409300 |
| 3rd. | 0.148478 | 0.408564 |
| 4th. | 0.148453 | 0.408531 |


| Word $\quad$ epey |  |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ VCVC |  |  |
| Word Length $: 4$ |  |  |
| Order | Markov | Entropy |
| Oth. | 0.060004 | 0.243544 |
| 1st. | 0.279814 | 0.514147 |
| 2nd. | 0.238177 | 0.493001 |
| 3rd. | 0.238749 | 0.493359 |


| Word | :epeyce |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCCV |  |
| Word Length $\quad: 6$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.014698 | 0.089487 |
| 1st. | 0.056813 | 0.235072 |
| 2nd. | 0.091092 | 0.314863 |
| 3rd. | 0.090506 | 0.313680 |
| 4th. | 0.094578 | 0.321787 |


| Word | :epik |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ VCVC |  |  |
| Word Length $: 4$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.060004 | 0.243544 |
| 1st. | 0.279814 | 0.514147 |
| 2nd. | 0.238177 | 0.493001 |
| 3rd. | 0.238749 | 0.493359 |


| Word | :eprimek |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ VCCVCVC |  |  |
| Word Length $: 7$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227940 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.087105 | 0.306705 |
| 4th. | 0.090943 | 0.314561 |


| Word | er |  |
| :--- | :---: | :--- |
| Pattern | $:$ VC |  |
| Word Length $\quad: 2$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.244957 | 0.497116 |
| 1st. | 0.409248 | 0.527501 |


| Word | :erat |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVC |  |
| Word Length | $: 4$ |  |
| Order | Markov | Entropy |
| 0th. | 0.060004 | 0.243544 |
| 1st. | 0.279814 | 0.514147 |
| 2nd. | 0.238177 | 0.493001 |
| 3rd. | 0.238749 | 0.493359 |


| Word | :erbap |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCCVC |  |
| Word Length | $: 5$ |  |
| Order | Markov | Entropy |
| 0th. | 0.034263 | 0.166765 |
| 1st. | 0.079270 | 0.289898 |
| 2nd. | 0.149042 | 0.409300 |
| 3rd. | 0.148478 | 0.408564 |
| 4th. | 0.148453 | 0.408531 |


| Word :erbaş |
| :---: |
| Pattern :VCCVC |
| Word Length :5 |
| Order Markov Entropy |
| 0th. 0.0342630 .166765 |
| 1st. 0.0792700 .289898 |
| 2nd. 0.1490420 .409300 |
| 3rd. 0.1484780 .408564 |
| 4th. 0.1484530 .408531 |


| Pattern $\quad:$ VCCVCV |  |
| :--- | :---: |
| Word Length $\quad: 6$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.014698 |
| 1st. | 0.089487 |
| 2nd. | 0.096813 |
| 3rd. | 0.235072 |
| 4th. | 0.091256 |


| Word | :içtüzük |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ VCCVCVC |  |  |
| Word Length $\quad: 7$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227940 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.087105 | 0.306705 |
| 4th. | 0.090943 | 0.314561 |


| Word | :içyağı |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCCVCV |  |
| Word Length $: 6$ |  |  |
| Order | Markov | Entropy |
| Oth. | 0.014698 | 0.089487 |
| 1st. | 0.056813 | 0.235072 |
| 2nd. | 0.091092 | 0.314863 |
| 3rd. | 0.091256 | 0.315192 |
| 4th. | 0.095283 | 0.323166 |


| Word | :içyapı |  |
| :--- | :---: | :---: |
| Pattern | :VCCVCV |  |
| Word Length $\quad: 6$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.014698 | 0.089487 |
| 1st. | 0.056813 | 0.235072 |
| 2nd. | 0.091092 | 0.314863 |
| 3rd. | 0.091256 | 0.315192 |
| 4th. | 0.095283 | 0.323166 |


| Word | :içyüz |  |
| :--- | :---: | :---: |
| Pattern | :VCCVC |  |
| Word Length |  | $: 5$ |
| Order | Markov | Entropy |
| Oth. | 0.034263 | 0.166765 |
| 1st. | 0.079270 | 0.289898 |
| 2nd. | 0.149042 | 0.409300 |
| 3rd. | 0.148478 | 0.408564 |
| 4th. | 0.148453 | 0.408531 |


| Word | :idam |
| :--- | :---: |
| Pattern $\quad:$ VCVC |  |
| Word Length $\quad: 4$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.060004 |
| 0.243544 |  |
| 1st. | 0.279814 |
| 2nd. | 0.514147 |
| 3rd. | 0.238177 |


| Word | :idame |
| :--- | :--- |
| Pattern $\quad$ :VCVCV |  |
| Word Length :5 |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.025741 |
| 1st. | 0.135906 |
| 2nd. | 0.145571 |
| 3rd. | 0.146737 |
| 4th. | 0.142626 |


| Word | :idamlik |
| :--- | :---: |
| Pattern $\quad:$ VCVCCVC |  |
| Word Length $\quad: 7$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.008393 |
| 1st. | 0.057883 |
| 2nd. | 0.054199 |
| 3rd. | 0.227940 |
| 4th. | 0.085857 |


| Word $\quad$ :idare |
| :--- | :---: | :---: |
| Pattern $\quad:$ VCVCV |
| Word Length $\quad: 5$ |
| Order Markov Entropy <br> Oth. 0.025741 0.135906 <br> 1st. 0.200543 0.464862 <br> 2nd. 0.145571 0.404717 <br> 3rd. 0.146737 0.406270 <br> 4th. 0.142626 0.400735 $\mathbf{l}$ |


| Word | :idareci |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCVCV |  |
| Word Length | $: 7$ |  |
| Order | Markov | Entropy |
| Oth. | 0.006305 | 0.046087 |
| 1st. | 0.137117 | 0.393049 |
| 2nd. | 0.084720 | 0.301701 |
| 3rd. | 0.086084 | 0.304574 |
| 4th. | 0.081322 | 0.294403 |


| Word | :idareli |  |
| :--- | :---: | :---: |
| Pattern | $:$ VCVCVCV |  |
| Word Length | $: 7$ |  |
| Order | Markov | Entropy |
| 0th. | 0.006305 | 0.046087 |
| 1st. | 0.137117 | 0.393049 |
| 2nd. | 0.084720 | 0.301701 |
| 3rd. | 0.086084 | 0.304574 |
| 4th. | 0.081322 | 0.294403 |


| Word $\quad$ :idareten |  |
| :--- | :--- |
| Pattern $\quad:$ VCVCVCVC |  |
| Word Length $\quad: 8$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.003600 |
| 1st. | 0.029227 |
| 2nd. | 0.130808 |
| 3rd. | 0.383853 |
| 4th. | 0.082168 |


| Word | :kolaylanmak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVCCVCCVC |  |
| Word Length | $: 11$ |  |
| Order | Markov | Entropy |
| Oth. | 0.000670 | 0.007067 |
| 1st. | 0.010015 | 0.066518 |
| 2nd. | 0.030080 | 0.152057 |
| 3rd. | 0.029565 | 0.150189 |
| 4th. | 0.028709 | 0.147057 |


| Word | :kolaylaşak |
| :--- | :---: |
| Pattern | $:$ CVCVCCVCCVC |
| Word Length $\quad: 11$ |  |
| Order | Markov |
| Entropy |  |
| Oth. | 0.000670 |
| 1st. | 0.007067 |
| 2nd. | 0.010015 |
| 3rd. | 0.066518 |
| 4th. | 0.029565 |


| Word | :kolaylaştırıcı |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCVCCVCCVCVCV |  |  |
| Word Length $: 14$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.000070 | 0.000972 |
| 1st. | 0.004908 | 0.037646 |
| 2nd. | 0.010700 | 0.070043 |
| 3rd. | 0.010660 | 0.069840 |
| 4th. | 0.010506 | 0.069054 |


| Word | :kolaylaştırmak |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCVCCVCCVCCVC |  |  |
| Word Length $\quad: 14$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.000094 | 0.001255 |
| 1st. | 0.001940 | 0.017478 |
| 2nd. | 0.010955 | 0.071341 |
| 3rd. | 0.010632 | 0.069697 |
| 4th. | 0.009596 | 0.064325 |


| Word | :kolaylik |
| :--- | :---: |
| Pattern | $:$ CVCVCCVC |
| Word Length $\quad: 8$ |  |
| Order | Markov |
| Entropy |  |
| 0th. | 0.004793 |
| 1st. | 0.036926 |
| 2nd. | 0.051705 |
| 3rd. | 0.220965 |
| 4th. | 0.082213 |


| Word | :kolböreği |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVCVCV |  |
| Word Length $\quad: 9$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.002056 | 0.018351 |
| 1st. | 0.037057 | 0.176175 |
| 2nd. | 0.050482 | 0.217480 |
| 3rd. | 0.050529 | 0.217615 |
| 4th. | 0.051293 | 0.219795 |


| Word $\quad$ :kolcu |  |
| :--- | :---: |
| Pattern $\quad:$ CVCCV |  |
| Word Length $\quad: 5$ |  |
| Order | Markov |
| Oth. | 0.034263 |
| Entropy |  |
| 1st. | 0.166765 |
| 2nd. | 0.149042 |
| 3rd. | 0.147728 |
| 4th. | 0.147773 |


| Word | :kolçak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVC |  |
| Word Length $\quad: 6$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.019565 | 0.111041 |
| 1st. | 0.075623 | 0.281698 |
| 2nd. | 0.141921 | 0.399769 |
| 3rd. | 0.140140 | 0.397305 |
| 4th. | 0.140158 | 0.397331 |


| Word $\quad$ :koldas |  |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCCVC |  |  |
| Word Length $\quad: 6$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.019565 | 0.111041 |
| 1st. | 0.075623 | 0.281698 |
| 2nd. | 0.141921 | 0.399769 |
| 3rd. | 0.140140 | 0.397305 |
| 4th. | 0.140158 | 0.397331 |


| Word $\quad$ :kolej |  |
| :--- | :---: |
| Pattern $\quad:$ CVCVC |  |
| Word Length | $: 5$ |
| Order | Markov |
| Entropy |  |
| 0th. | 0.034263 |
| st. | 0.166765 |
| 2nd. | 0.266939 |
| 0.226798 | 0.485466 |
| 3rd. | 0.228616 |
| 4th. | 0.486724 |


| Word | :sağır |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVC |  |
| Word Length | $: 5$ |  |
| Order | Markov | Entropy |
| Oth. | 0.034263 | 0.166765 |
| 1st. | 0.266939 | 0.508630 |
| 2nd. | 0.226798 | 0.485466 |
| 3rd. | 0.228616 | 0.486724 |
| 4th. | 0.228600 | 0.486713 |


| Word | :sağırlaşmak |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCVCCVCCVC |  |  |
| Word Length $\quad: 11$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.000670 | 0.007067 |
| 1st. | 0.010015 | 0.066518 |
| 2nd. | 0.030080 | 0.152057 |
| 3rd. | 0.029565 | 0.150189 |
| 4th. | 0.028709 | 0.147057 |


| Word | :sağırlık |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCVCCVC |  |
| Word Length $\quad: 8$ |  |  |
| Order | Markov | Entropy |
| 0th. | 0.004793 | 0.036926 |
| 1st. | 0.051705 | 0.220965 |
| 2nd. | 0.082596 | 0.297163 |
| 3rd. | 0.082213 | 0.296336 |
| 4th. | 0.085891 | 0.304171 |


| Word | :sağiç |  |
| :--- | :---: | :---: |
| Pattern $\quad:$ CVCVC |  |  |
| Word Length | $: 5$ |  |
| Order | Markov | Entropy |
| 0th. | 0.034263 | 0.166765 |
| 1st. | 0.266939 | 0.508630 |
| 2nd. | 0.226798 | 0.485466 |
| 3rd. | 0.228616 | 0.486724 |
| 4th. | 0.228600 | 0.486713 |


| Word | :Sağlam |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVC |  |
| Word Length | $: 6$ |  |
| Order | Markov | Entropy |
| Oth. | 0.019565 | 0.111041 |
| 1st. | 0.075623 | 0.281698 |
| 2nd. | 0.141921 | 0.399769 |
| 3rd. | 0.140140 | 0.397305 |
| 4th. | 0.140158 | 0.397331 |


| Word | :sağlama |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVCV |  |
| Word Length $\quad: 7$ |  |  |
| Order | Markov | Entropy |
| Oth. | 0.008393 | 0.057883 |
| 1st. | 0.054199 | 0.227939 |
| 2nd. | 0.086740 | 0.305946 |
| 3rd. | 0.086131 | 0.304673 |
| 4th. | 0.089959 | 0.312571 |


| Word | :Sağlamak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVCVC |  |
| Word Length | $: 8$ |  |
| Order | Markov | Entropy |
| 0th. | 0.004793 | 0.036926 |
| 1st. | 0.051705 | 0.220965 |
| 2nd. | 0.082596 | 0.297163 |
| 3rd. | 0.082213 | 0.296336 |
| 4th. | 0.085861 | 0.304108 |


| Word | :sağlamlamak |  |
| :--- | :---: | :---: |
| Pattern | $\quad$ CVCCVCCVCVC |  |
| Word Length | $: 11$ |  |
| Order | Markov | Entropy |
| Oth. | 0.000670 | 0.007067 |
| 1st. | 0.010015 | 0.066518 |
| 2nd. | 0.030080 | 0.152057 |
| 3rd. | 0.029565 | 0.150189 |
| 4th. | 0.028699 | 0.147020 |


| Word | :Sağlamlaşmak |  |
| :--- | :---: | :---: |
| Pattern | $:$ CVCCVCCVCCVC |  |
| Word Length | $: 12$ |  |
| Order | Markov | Entropy |
| Oth. | 0.000383 | 0.004345 |
| 1st. | 0.002837 | 0.024007 |
| 2nd. | 0.018823 | 0.107881 |
| 3rd. | 0.018123 | 0.104860 |
| $4^{\text {th. }}$ | 0.015659 | 0.093903 |


[^0]:    ${ }^{1}$ To discuss the moral and ethics involved with the act of cryptanalysis is well beyond the scope of this thesis.

[^1]:    ${ }^{1}$ Ahmet Hasan KOLTUKSUZ, Simetrik Kriptosistemler için Türkiye Türkçesinin Kriptanalitik Ölçütleri, unpublished Ph.D. thesis, Ege Üniversitesi Fen Bilimleri Enstitüsü, Bilgisayar Mühendisliği Anabilim Dalı,İmir 1995, pp. 4-13.

[^2]:    ${ }^{1}$ Athanasios Papoulis, Probability of Random Variables, and Stochastic Processes, p.3. ${ }^{2}$ ibid., p. 6

[^3]:    ${ }^{3}$ Athanasios Papoulis, Probability of Random Variables, and Stochastic Processes, p. 28.

[^4]:    ${ }^{4}$ Pierce, J. R., An Introduction to Information Theory, p. 13.

[^5]:    ${ }^{5}$ Athanasios Papoulis, Probability of Random Variables and Stochastic Processes, p.549.
    ${ }^{6}$ The proof is in Pierce, J. R., An Introduction to Information Theory, p. 13.
    ${ }^{7}$ Şahinoğlu, Prof. Dr. Mehmet, Applied Stochastic Processes, p.13.

[^6]:    ${ }^{8}$ The proof is in Şahinoğlu, Prof. Dr. Mehmet, Applied Stochastic Processes, p.19.

[^7]:    ${ }^{1}$ Bruce Schneier, Applied Cryptography, Protocols, Algorithms, and Source Code in C, p. 1

[^8]:    ${ }^{2}$ Bruce Schneier, Applied Cryptography, Protocols, Algorithms, and Source Code in C, p. 5

[^9]:    ${ }^{3}$ James Bamford, The Puzzle Palace, pp. 5-55

[^10]:    ${ }^{4}$ Bruce Schneier, Applied Cryptography, Protocols, Algorithms, and Source Code in C, p. 7

[^11]:    ${ }^{5}$ Bruce Schneier, Applied Cryptography, Protocols, Algorithms, and Source Code in C, p. 8
    ${ }^{6}$ This term is left to interpretation with the attacks summarized earlier.

